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## Statistical Method Supplement

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3 <u>Description</u>: Supplemental statistical method material for Pneumonia Hospitalization

- 4 Coding Changes associated with Transition from the 9<sup>th</sup> to 10<sup>th</sup> Revision of International
- 5 Classification of Diseases
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7 1. Introduction

8 When a disease is diagnosed by different diagnostic algorithms in different 9 populations, or in the same population at different time points, the reported disease 10 incidence rates cannot be compared directly because of differences in accuracy of 11 the diagnostic algorithms. If we take one population, or time point, as the standard 12 or baseline, then incidence rates of the other populations, or time points, need to be 13 adjusted according to the relative accuracy of the corresponding algorithms at 14 baseline. To account for changes in diagnostic coding systems used to identify 15 patients hospitalized with pneumonia, we developed a simple, yet general method, 16 for such adjustment. We describe the method as well as its implementation details in 17 this short statistical supplement.

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19 2. Main results

20 Because of the transition from ICD-9-CM to ICD-10-CM in October 2015, we have

21 two periods  $P_b$  (pre- ICD10-CM implementation) and  $P_a$  (post- ICD10-CM

implementation) in our study using two different diagnostic algorithms  $A_b$  (ICD-9-CM

- 23 algorithm) and  $A_a$  (ICD-10-CM algorithm) used to identify the same disease D
- 24 (pneumonia). Although the approach is designed to allow comparisons of rates over
- 25 time and encompassing the transition of ICD coding systems, for the derivation of the

26 estimates we assumed that the underlying population remained generally constant during the two periods and that there were no changes in the true incidence of the 27 28 disease during the transition of coding systems. Our objective was to derive an 29 adjustment factor that could be applied to correct for the impact of the coding system 30 transition. Thus, using  $r_b$  and  $r_a$  as the corresponding observed incidence rates for 31 each period, the application of our adjustment factor to  $r_a$  would make it comparable 32 to  $r_h$ . 33 A diagnostic algorithm's accuracy is summarized by its sensitivity and specificity.<sup>1-3</sup> 34 Considering algorithm  $A_b$  as the gold standard, the relative accuracy of  $A_a$  relative to 35  $A_b$  can be defined by following two quantities: 36  $\theta = P(A_a = 1 | A_b = 1)$ [1]  $\delta = P(A_a = 1 | A_b = 0)$ 37 [2] 38 39 Here each algorithm takes the value of 1 or 0 if the disease was either diagnosed by 40 the algorithm or not.  $\theta$  and  $1 - \delta$  are the sensitivity and specificity of  $A_a$  relative to 41  $A_h$ , respectively. 42 43 If we know both  $\theta$  and  $\delta$  then the disease rate  $r_a$  from applying algorithm  $A_a$  can be 44 adjusted to  $\hat{r}_a$ , which is comparable to what would be produced if the gold standard 45 algorithm  $A_b$  was applied.  $\hat{r}_a$  can be easily calculated by the following formula:

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$$\hat{r}_a = \frac{r_a - \delta}{\theta - \delta}$$
 [3]

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49 For example, if  $A_a$  is identical to  $A_b$ , then  $\theta = 1$  and  $\delta = 0$ , hence  $\hat{r}_a = r_a$ , and no 50 adjustment is needed. 51

To estimate the sensitivity, one can take a random sample of patients diagnosed by the gold standard algorithm  $A_b$  (i.e.,  $A_b = 1$ ), and then apply algorithm  $A_a$  to the sample. The frequency of pneumonia captured by the  $A_a$  algorithm would be an unbiased estimate of the sensitivity  $\theta$ .

57 While, in principle, we can estimate the specificity  $1 - \delta$  in a similar manner by taking 58 a random sample of subjects that do not have pneumonia from applying algorithm  $A_b$ 59 (i.e.,  $A_b = 0$ ), and then apply algorithm  $A_a$  to the sample, and count the number of 60 patients without pneumonia, it is not practical for most diseases because of the 61 usually low prevalence rate of the disease in study population. We would have to 62 apply both algorithms to a large number of healthy subjects in order to obtain a 63 reasonable estimation of the specificity.

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65 On the other hand, it is relatively simple to estimate the positive predictive value 66 (PPV) of  $A_a$  relative to  $A_b$ . Here PPV is defined as:

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 $PPV = P(A_b = 1 | A_a = 1)$  [4]

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Namely, the proportion of pneumonia captured by the gold standard algorithm  $A_b$ among those who were captured as pneumonia by algorithm  $A_a$ <sup>2-3</sup>. Unlike the specificity,  $1 - \delta$ , PPV can be estimated easily by taking a sample of patients that are diagnosed as positive by  $A_a$ , then applying  $A_b$  to the same sample and count the number classified as pneumonia. In fact, our study was designed such that PPV and the sensitivity  $\theta$  can be estimated from two samples of 500 pneumonia cases each

76captured by the ICD-9-CM algorithm 
$$(A_b)$$
 and the ICD-10-CM algorithm  $(A_a)$ ,77respectively.78If we also know the incidence rate  $r_b$  from applying the gold standard algorithm  $A_b$ ,79If we also know the incidence rate  $r_b$  from applying the gold standard algorithm  $A_b$ ,80then there is an established relationship between PPV and specificity<sup>2</sup>:81 $PPV = \frac{\partial r_b}{\partial r_b + \delta (1 - r_b)}$ 82 $PPV = \frac{\partial r_b}{\partial r_b + \delta (1 - r_b)}$ 84 $\delta = \theta \frac{r_b (1 - PPV)}{(1 - r_b)PPV}$ 85[5]86Should we apply both algorithms in the same population, then the adjusted rate  $\hat{r}_a$ 87Should we apply both algorithms in the same population, then the adjusted rate  $\hat{r}_a$ 88derived from algorithm  $A_a$  should equal to the unadjusted rate  $r_b$  derived from89algorithm  $A_b$ . Therefore, from equation [3] and [5] together, we obtain a simple, yet90general formula to calculate the adjusted incidence rate as in the following Lemma:91Lemma: If  $\theta$ , the sensitivity of  $A_a$  relative to  $A_b$  and PPV, the positive predictive92value, as defined in Equation [1] and [4], are both known, then the incidence rate  $r_a$ 93from applying  $A_a$  can be adjusted by applying the following formula:94 $r_a = r_a \frac{PPV}{a}$ [6]95 $r_a = r_a \frac{PPV}{a}$ [6]96To be comparable with incidence rates from the gold standard algorithm  $A_b$ , we can98use  $\frac{PPV}{a}$  as the adjustment factor.

100 3. Implementation of the method:

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102	As discussed in the paper, there is substantial variability in applying the two
103	algorithms, along with the sampling variability of selecting patients. Such variability
104	is reflected by the different sensitivity and PPV values. Some variability is
105	systematic, such as the difference between children and adult patients, while other
106	variability appears random, such as variability among coders. We follow general
107	epidemiology and statistical practices to deal with these variabilities. For systematic
108	variability, we stratified the analysis by the systematic factors. Hence, our results are
109	analyzed and reported by children and adults separately.
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111	We could consider coders as a random effect if we had a relatively large number of
112	coders (say greater or equal to 5). However, in our study, we had three coders for
113	children and four coders for adults. Hence, it was not possible to construct a random
114	effect model to estimate the sampling distribution of the sensitivity and PPV. Instead
115	of that, we considered the means of sensitivity and PPV to be distributed uniformly in
116	the ranges of the observed sensitivity and PPV values. For given means and sample
117	sizes, the actual sensitivity and PPV values were considered as samples from
118	binomial distributions with the means and sample sizes, which in turn could be
119	approximately by normal distributions for large and moderate sample sizes. Then we
120	applied the following procedure to generate 10,000 values of the adjusted factor:
121	Step 1: Stratified by children and adults, obtain corresponding ranges of
122	sensitivity and PPV.
123	Step 2: Repeat 10,000 times:
124	Step 2.1: Sample uniformly from the ranges to get mean values of

sensitivity and PPV

126	Step 2.2. Use the mean value and sample size 500, to calculate standard
127	errors of the observed sensitivity and PPV.
128	Step 2.3. Sample from normal distributions with above mean and SE to
129	obtain a realization of sensitivity and PPV.
130	Step 2.4. Calculate the adjustment factor based on the realization.
131	Step 3: Calculate summary statistic of the adjustment factors based on the
132	10,000 values.
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134	In the main paper, we reported the mean and standard deviation (translated to
135	credible region) of the 10,000 values.
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137	4. References:
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139	1. K. Chu, An introduction to sensitivity, specificity, predictive values and likelihood
140	ratios. Emergency Medicine. 1999; 11: 175-181
141	2. R. Simon, Sensitivity, specificity, PPV, and NPV for predictive biomarkers.
142	Journal of National Cancer Institute. 2015; 107(8): djv153
143	3. M. Stojanovic, et. al., Understanding sensitivity, specificity and predictive values.
144	Vojnosanitetski Pregled. 2014; 71(11): 1062-1065
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147	Figure S1: Adjustment factor for pneumonia hospitalization rates using a discharge code
148	algorithm <sup>2</sup> for children (a) and adults (b) after transition to ICD-10-CM
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150	a) Children <u>&lt;</u> 5 Years of Age





153 b) Adults <a>>65</a> years of Age



155 Vertical lines represent mean and 95% credible region

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