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A Computer Program for Calculating Thermodynamic Properties From Spectroscopic Data

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SYMBOLS AND TERMINOLOGY¹

- e_i = energy of the i th electronic level, cm^{-1}
 g_i = degeneracy of the i th electronic level
 σ = symmetry number
 α = rotational vibrational interaction constant
 x_e = anharmonicity correction
 ω_e = fundamental frequency, cm^{-1}
 I = moment of inertia, g cm^2
 S = entropy, $\text{cal mol}^{-1} \text{K}^{-1}$
 C_p = heat capacity, $\text{cal mol}^{-1} \text{K}^{-1}$
 H = enthalpy, $\text{cal mol}^{-1} \text{K}^{-1}$
 r_e = bond distance, $\text{\AA}$
 T_p = transition point temperature, K
 h = Planck's constant, $6.62617636 \times 10^{-27} \text{ erg-sec}$
 k = Boltzmann's constant, $1.38066244 \times 10^{-16} \text{ erg molecule}^{-1} \text{K}^{-1}$
 R = gas constant, $1.98719.7 \text{ cal K}^{-1} \text{mol}^{-1}$
 R^1 = gas constant, $82.056826 \text{ atm cm}^3 \text{mol}^{-1} \text{K}^{-1}$
 N_A = Avogadro's constant, $6.02204531 \times 10^{23} \text{ mol}^{-1}$
 c = Speed of light, $2.9979245812 \times 10^{10} \text{ m sec}^{-1}$
 M = molecular weight, g mol^{-1}
 ϵ_i = energy in ergs, $(\text{cm}^{-1} \times hc)$

¹Values for the physical constant are from (2). Underlined numbers in parentheses refer to items in the list of references at the end of this paper.

A COMPUTER PROGRAM FOR CALCULATING THERMODYNAMIC PROPERTIES FROM SPECTROSCOPIC DATA

by

R. P. Beyer²

ABSTRACT

A FORTRAN IV computer program has been written to calculate thermodynamic properties over a desired temperature range from spectroscopic data. This program computes heat capacities, enthalpies, and entropies for monatomic, diatomic, linear, and nonlinear polyatomic gases. This research is part of the Bureau of Mines effort to provide thermodynamic data for the advancement of mineral technology.

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INTRODUCTION

As part of a program to advance technology, reduce energy use, and abate pollution, the Bureau of Mines generates thermochemical data on various minerals and metals. A computer program for calculating C_p° , $S^\circ(T)-S^\circ(0)$, and $H^\circ(T)-H^\circ(298)$ was written to further this aim. The program was written in FORTRAN IV Plus, Version 2.5, to run on a Digital Equipment Corp.³ PDP 11/34 minicomputer with the RSX-11M, Version 3.2, operating system. Although programs have been written previously for this type of calculation, [e.g., McBride and Gordon (5)], the vast differences in hardware, operating systems, and compilers necessitated a rewriting rather than an adaptation of previous work.

The program accepts as input the electronic energy levels, degeneracies, moment of inertia, number of atoms, vibrational frequencies, vibrational-rotational interaction constant, symmetry number, and molecular weight. The output consists of the heat capacities, entropies, and relative enthalpies over a given temperature range. The normal output consists of the thermodynamic properties calculated over the desired temperature range at intervals starting at 0 K and including 298.15 K. Any noninternal desired temperature may also be included.

CALCULATIONAL METHODS

The methods to calculate the thermodynamic properties follow the adaptation of Mayer and Mayer (4) by King and others (3). For the definition of the symbols used, refer to the symbols and terminology section.

(1) Monatomic gases

Translational contribution:

$$(C_p)_{tr} = 5/2 R$$

$$(H - H_0)_{tr} = 5/2 RT$$

$$S_{tr} = R(\ln R^1 + 5/2 \ln T + 3/2 \ln M + 3/2 \ln \frac{2\pi k}{h^2} - 5/2 \ln N + 5/2)$$

³Reference to specific brand names does not imply endorsement by the Bureau of Mines.

Electronic contribution:

$$C_e = R \left[\frac{Q^{II}}{Q} - \left(\frac{Q^I}{Q} \right)^2 \right]$$

$$(H - H_0)_e = RT \left[\frac{Q^I}{Q} \right]$$

$$S_e = R \left[\ln Q + \frac{Q^I}{Q} \right]$$

where

$$Q = \sum_i g_i e^{-\epsilon_i/kT}$$

$$Q^I = \sum_i g_i \left[\frac{\epsilon_i}{kT} \right] e^{-\epsilon_i/kT}$$

$$Q^{II} = \sum_i g_i \left[\frac{\epsilon_i}{kT} \right]^2 e^{-\epsilon_i/kT}$$

(2) Diatomic gases

Translational and electronic contributions: same as for monatomic gases.

Rotational contribution

$$C_r = R \left(1 + \frac{y^2}{45} \right)$$

$$(H - H_0)_r = RT \left(1 - \frac{y}{3} - \frac{y^2}{45} \right)$$

$$S_r = R \left(1 - \ln y - \ln \sigma - \frac{y^2}{90} \right)$$

where $y = \frac{hcB_0}{kT}$

$$B_0 = B_e - 1/2 \cdot \alpha \text{ cm}^{-1}$$

$$B_e = \frac{h}{8\pi^2 c I} \text{ cm}^{-1}$$

Vibrational contribution

$$C_{\text{vib}} = R \frac{u^2 e^u}{(e^u - 1)^2}$$

$$(H - H_0)_{\text{vib}} = RT \frac{u}{(e^u - 1)}$$

$$S_{\text{vib}} = R \left[\frac{u}{e^u - 1} - \ln(1 - e^{-u}) \right]$$

$$\text{where } u = \frac{hc\omega_0}{kT}$$

$$\omega_0 = \omega_e - 2x_e \omega_e, \text{ cm}^{-1}$$

Anharmonicity corrections

$$C_{\text{cor}} = \frac{R}{u} \left[4x \left[\frac{u^3 e^u (2ue^u - 2e^u + u + 2)}{(e^u - 1)^4} \right] + \delta \left[\frac{u^3 e^u (e^u + 1)}{(e^u - 1)^3} \right] + 16\gamma \right]$$

$$(H - H_0)_{\text{cor}} = \frac{RT}{u} \left[2x \left[\frac{u^2 (2ue^u - e^u + 1)}{(e^u - 1)^3} \right] + \delta \left[\frac{u^2 e^u}{(e^u - 1)^2} \right] + 8\gamma \right]$$

$$S_{\text{cor}} = R \left[\frac{4xu^2 e^u}{(e^u - 1)^3} + \frac{\delta u e^u}{(e^u - 1)^2} + \frac{\delta}{(e^u - 1)} + \frac{16\gamma}{u} \right]$$

$$\text{where } x = \frac{x_e}{1 - 2x_e}$$

$$\delta = \frac{\alpha}{B_0}$$

$$\gamma = \frac{B_e}{\omega_e}$$

(3) Linear polyatomic gases

Electronic: Same for all atoms and molecules.

Translational: Same for all atoms and molecules.

Rotational plus symmetry: Same as for diatomic molecules except
for calculation of I (moment of inertia).

Vibrational: Fundamental frequencies $3n-5$ in number. Follow the diatomic method and sum the results.

(4) Nonlinear polyatomic

Electronic: Same as linear polyatomic.

Translational: Same as linear polyatomic.

Rotational plus symmetry:

$$(H(T) - H(0))_r = (3/2)RT.$$

$$C_{p_r} = (3/2)R$$

$$S_r = 3/2R + R \left[1/2 \ln I_A I_B I_C + 3/2 \ln T - \ln \sigma + 1/2 \ln \frac{512 \pi^7 k^3}{h^6} \right]$$

Vibrational: Fundamental frequencies $3n-6$ in number. Follow the diatomic method and sum the results.

PROGRAM OPERATION

Input consists of a data file containing the pertinent information. There are four different types of data input files, depending on which type of gas is being studied. All data in the examples are from JANAF (1). The following examples show the required format.

(1) The monatomic input file:

a) In general,

Name

Monatomic

Highest temperature to be calculated

K, the number of noninterval temperatures (T_{p_i} , $i = 1, 2, \dots, K$)

.

.

.

T_{p_1}

.

.

.

```

.
.
.
Number of energy levels
.
.
.
.
Electronic energy of level i ( $e_i$ )
.
.
.
.
Degeneracy of
level i ( $g_i$ )
.
.
.
.
Molecular weight

```

b) Monatomic example, $F(g)$:

```

F(g)
Monatomic
2000.
0
12
0          4
404.        2
103327.14   18
115918.7    6
116597.23   14
117465.88   22
118627.73   10
123118.7    12
128346.36   80
132786.07   16
133531.81   22
134978.71   88
18.9984

```

(2) The Diatomic input file:

a) In general,

```

Name
Diatomic
Highest temperature to be calculated
Number of noninterval temperatures
.
.

```

```

.
.
Tpi
.
.
.
Number of energy levels
.
.
.
.
Electronic energy of level i (ei)      Degeneracy of
.                                         level i (gi)
.                                         .
.                                         .
.                                         .
.                                         .
.                                         .
.                                         .
.                                         .
.                                         .
.                                         .
Atomic weight of atom 1
Atomic weight of atom 2
Internuclear distance (re in Å)
Fundamental frequency (ωe in cm-1)
Anharmonicity correction (ωe xe)
Rotational-vibrational interaction constant (α)
Symmetry number (σ)

```

b) Diatomic example, CuF(g);

```

CuF(g)
Diatomic
6000
0
1
0          1
63.54
18.9984
1.743
621.89
3.941
0.004586
1

```

(3) The linear polyatomic input file:

a) In general,

```

Name
Linear polyatomic
Highest temperature to be calculated
Number of noninterval temperatures, (Tp)
.
.
.
.
Tpi
.
.
.
Number of energy levels
.
.
.
.
Electronic energy of level i (ei)      Degeneracy of
.                                          level i (gi)
.                                          .
.                                          .
.                                          .
.                                          .
.                                          .
.                                          .
Molecular weight
Number of atoms
.
.
.
.
Fundamental frequency of level i ( $\omega_i$ ), enter degenerate
frequencies as many times as the degeneracy of the modes,
see examples below.
Moment of inertia (I)
Rotational vibrational interaction constant ( $\alpha$ )
Symmetry number ( $\sigma$ )

```

b) Linear polyatomic example, $\text{CuF}_2(\text{g})$:

```

CuF2(g)
Linear Polyatomic
2000
0
3
0          2
9000       4
18000      4
101.5368
3
608
205
205
768
112.4008735 (see below for units)
0
2

```

(4) The nonlinear polyatomic input file:

a) In general,

The same as the linear case except the second line should read nonlinear polyatomic and I is the product of the three principal moments of inertia $I = I_A I_B I_C$.

b) The nonlinear polyatomic example $\text{ZrI}_4(\text{g})$:

```

ZrI4(g)
Nonlinear polyatomic
2000.
2
155.3
623.9
1
0          1
598.66
5
146.
45.
45.
237.
237.
237.
58.
58.
58.
65718000 (see below for units)
0
12

```

The FORTRAN-IV Plus compiler used with this program limits calculations to numbers between $\pm 10^{38}$ and $\pm 10^{-38}$. Therefore, values for the moment of inertia for linear and nonlinear polyatomics should be entered as follows:

- (1) Linear: values of I in units of g-cm^2 should be multiplied by $(N_A/10^{-16})$ before entering in the data input file. $\text{CuF}_2(\text{g})$, $I = 18.7 \times 10^{-39} \text{ g-cm}^2$. For the input file this number would be changed to $(18.7 \times 10^{-39})(N_A/10^{-16}) = 112.4$.
- (2) Polyatomic: Values for $I_A I_B I_C$, which would have an exponent of 10^{-117} [from $(10^{-39})^3$], should be entered without this exponent. For example, $\text{ZrI}_4(\text{g})$, $I_A I_B I_C = 65718000 \times 10^{-117}$. This should be entered as just 65718000.

An example of the output file for the $\text{ZrI}_4(\text{g})$ example is given after the program listing. The program was checked by running all the examples shown and comparing the output with the accepted JANAF (1) results. Agreement between the computer output and the JANAF values was exact.

PROGRAM LISTING

```

C
C A PROGRAM TO CALCULATE HEAT CAPACITY, ENTHALPY, AND
C ENTROPY FROM SPECTROSCOPIC DATA
C
  Real*8 HT,e(100),g(100),w(100),xe(100),wexe(100),MW,MW1,MW2
  Real*8 re,a,sig,Be,B0,y,x,c,R,pi,k,h,kT,lny
  Real*8 ctrans,htrans,strans,crot,hrot,srot,cvib,hvib,svib
  Real*8 celec,helec,selec,cr298,hr298,sr298,ht298,ct298,st298
  Real*8 cv298,hv298,sv298,ce298,he298,se298
  Real*8 q0,q1,q2,MI,Rprime,Na,hout
  Real*8 del,hcor,scor,eu,htotal,h298,stotal,s298,eul,T(100),gam
  Real*8 Td,ccor,ctotal,c298,u,w0(100)
  Byte igas,gasnam(30)

c
c Initialize
c
  do 500 i=1,100
    e(i)=0.0
    T(i)=0.0
    g(i)=0.0
    w(i)=0.0
    w0(i)=0.0
    xe(i)=0.0
500 wexe(i)=0.0
    Na=6.02204531e23
    Rprime=82.056826
    k=1.38066244e-16
    h=6.62617636e-27
    c=2.9979245812e10
    R=1.9871917
    pi=3.141592654

c
c conversational input of constants
c
  open(unit=1,name='dll:gas.dat',type='new',dispose='save')
  write(5,130)
130 format(/,1x,'Enter name of the input file')
  read(5,131)(gasnam(i),i=5,30)
131 format(30A1)
  type *,'Output is in file gas.dat'
  gasnam(30)=0
  gasnam(1)='S'
  gasnam(2)='Y'
  gasnam(3)='O'
  gasnam(4)=':'
  open(unit=2,name=gasnam,type='old',dispose='save')
  read(2,131)(gasnam(i),i=1,20)
  write(1,132)(gasnam(i),i=1,20)
132 format(1x,20A1,/)

```

```

      read(2,101)igas
101 format(1A1)
      if(igas.eq.'M'.or.igas.eq.'m')go to 2
      if(igas.eq.'D'.or.igas.eq.'d')go to 3
      if(igas.eq.'L'.or.igas.eq.'l')go to 4
      if(igas.eq.'N'.or.igas.eq.'n')go to 5
      type *, 'INVALID GAS TYPE!'
      stop
      2 type *, ' monatomic gas'
      iflag=7
      go to 6
      3 type *, ' diatomic gas'
      iflag=8
      go to 6
      4 type *, ' linear polyatomic gas'
      iflag=9
      go to 6
      5 type *, ' non-linear polyatomic gas'
      iflag=9
      go to 6
      6 read(2,*)HT
      iHT=HT
      ntemp=iHT/100
      T(1)=298.15
      do 43 i=1,ntemp
43 T(i+1)=100.*i
c
c Read tranisition temperatures
c
      read(2,*)nTp
      if(nTp.eq.0)go to 41
      do 42 i=1,nTp
42 read(2,*)T(ntemp+1+i)
c
c Arrange the temperatures in ascending order
c
      do 44 j=2,ntemp+nTp
      do 44 i=2,ntemp+nTp
      if(T(i).lt.T(i+1))go to 44
      Ttemp=T(i)
      T(i)=T(i+1)
      T(i+1)=Ttemp
44 continue
41 read(2,*)nlevel
      do 50 i=1,nlevel
50 read(2,*)e(i),g(i)
      if(igas.eq.'M'.or.igas.eq.'m')go to 7
      if(igas.eq.'D'.or.igas.eq.'d')go to 8
      go to 9
c
c monatomic gas
c
      7 read(2,*)MW
      go to 20

```



```

c
c diatomic gas
c
      8 read(2,*)MW1
        read(2,*)MW2
        read(2,*)re
c
c calculate moment of inertia
c
      MI=(MW1*MW2)/(MW1+MW2)*re*re
      MW=MW1+MW2
      read(2,*)w(1)
      read(2,*)wexe(1)
      read(2,*)a
      read(2,*)sig
      nvib=1
      go to 20
c
c polyatomic gas
c
      9 read(2,*)MW
        read(2,*)natom
        nvib=3*natom-6
        if(igas.eq.'L'.or.igas.eq.'l')nvib=3*natom-5
        do 51 i=1,nvib
51 read(2,*)w(i)
        read(2,*)MI
        read(2,*)a
        read(2,*)sig
        iharm=0
c
      20 write(5,300)
300 format(//,6x,'T',10x,'Cp',10x,'H-H298',11x,'S')
        write(1,300)
        write(1,302)
302 format(6x,'K',7x,'cal/mol-K',6x,'kcal/mol',5x,'cal/mol-K',/)
c
c start calculations
c
      ht298=0.0
      hr298=0.0
      he298=0.0
      hv298=0.0
      hc298=0.0
      17 do 55 i=1start,ntemp+nTp+1
        if(igas.eq.'M'.or.igas.eq.'m')go to 16
c
c rotational calculations
c
      12 if(igas.eq.'D'.or.igas.eq.'d')go to 13
        if(igas.eq.'L'.or.igas.eq.'l')go to 13
c
c non-linear polyatomic rotational

```

14

c

```

    crot=1.5*R
    hrot=T(i)*crot+hr298
    srot=(R/2.)*(log(512.*pi**7*((k*1.e16)**3)/((h*1.e27)**6))
&-3.*log(10.)+3.)+(R/2.)*(log(MI)+3.*log(T(i))-2.*log(sig))
    go to 14

```

c

c diatomic or linear polyatomic rotational

c

```

13 Be=((h*Na)/(8.*pi*pi*c*1.e-16))/MI
    B0=Be-0.5*a
    y=((h*Na)*h/(k*8.*pi*pi*1.e-16))/(T(i)*MI)
& -((h*c)/(2.*k))*(a/T(i))
    crot=R*(1.+(y*y/45.))
    hrot=R*T(i)*(1.-y/3.-(y*y/45.))+hr298
    lny=0.0
    if(y.gt.0.0)lny=log(y)
    srot=R*(1.-lny-log(sig)-(y*y/90.))

```

c

c vibrational calculations

c

```

14 cvib=0.0
    hvib=0.0
    svib=0.0
    ccor=0.0
    hcor=0.0
    scor=0.0
    do 53 j=1,nvib
        w0(j)=w(j)-2.*wexe(j)
        u=((h*c)/k)*w0(j)/T(i)
        eu=exp(u)
        cvib=(R*u*u*eu/((eu-1.)*(eu-1.))+cvib
        hvib=(R*T(i)*u/(eu-1.))+hvib
        svib=(R*((u/(eu-1.))-log(1.-exp(-u))))+svib

```

c

c anharmonicity corrections

c

```

    if(nvib.eq.1)go to 15
    if(iharm.ne.1)go to 53
15 xe(j)=wexe(j)/w(j)
    del=0.0
    if(a.ne.0.0)del=a/(Be-a/2.)
    gam=Be/w(j)
    eul=eu-1.
    x=xe(j)/(1.-2.*xe(j))
    ccor=(R/u)*((4.*x*u*u*eu*(2.*u*eu-2.*eu+u+2.))/(eul*eul*eul*eul))
& +(del*u*u*eu*(eu+1.)/(eul*eul*eul))+16.*gam)+ccor
    hcor=(R*T(i)/u)*(((2.*x)*u*u*(2.*u*eu-eu+1.)/(eul*eul*eul))+
& (del*u*u*eu/(eul*eul))+8.*gam)+hcor
    scor=R*((4.*x*u*u*eu/(eul*eul*eul))+del*u*eu/(eul*eul))+del/eul
& +(16.*gam/u))+scor
53 continue
    hvib=hvib+hv298
    hcor=hcor+hc298

```

```

c
c Translational calculations
c
  16 ctrans=2.5*R
    htrans=ctrans*T(i)+ht298
    strans=R*(2.5*log(T(i))+1.5*log(MW)
      &+log(Rprime)+1.5*log(2.*pi*k)-3*log(h)-2.5*log(Na)+2.5)
c
c electronic calculations
c
    celec=0.0
    helec=0.0
    selec=0.0
    call Q(e,g,nlevel,T(i),q0,q1,q2)
    if(q0.eq.0)go to 22
    celec=R*((q2/q0)-(q1/q0)*(q1/q0))
    helec=R*T(i)*q1/q0+he298
    selec=R*(log(q0)+(q1/q0))
c
c calculate total thermodynamic functions
c
  22 cttotal=ctrans+celec+crot+cvib+ccor
    httotal=htrans+hrot+hvib+helec+hcor
    sttotal=strans+srot+svib+selec+scor
c
c if T=298.15 then go print values
c
    if(i.eq.1)go to 18
    jflag=0
    if(T(i).eq.200)jflag=1
    write(5,122)T(i),ctrans,htrans,strans
122 format(/,1x,F9.2,3(1x,f12.4))
    write(5,123)celec,helec,selec
123 format(10x,3(1x,f12.4))
    if(igas.eq.'M'.or.igas.eq.'m')go to 21
    write(5,123)crot,hrot,srot
    write(5,123)cvib,hvib,svib
    write(5,123)ccor,hcor,scor
  21 write(5,123)cttotal,httotal,sttotal
    hout=httotal/1000.
    write(1,301)T(i),cttotal,hout,sttotal
301 format(1x,f8.2,3(3x,f11.3))
    if(jflag.eq.0)go to 55
    T(i)=298.15
    ccor=cc298
    hcor=hc298
    scor=sc298
    crot=cr298
    hrot=0.0
    srot=sr298
    ctrans=ct298
    htrans=0.0
    strans=st298
    cvib=cv298

```

```

    hvib=0.0
    svib=sv298
    celec=ce298
    helec=0.0
    selec=se298
    hcor=0.0
    go to 22
55 continue
    go to 19
18 hr298=htrans
    hr298=hrot
    he298=helec
    hv298=hvib
    hc298=hcor
    ht298=httotal
    cr298=crot
    ct298=ctrans
    cv298=cvib
    cc298=ccor
    ce298=celec
    sr298=srot
    st298=strans
    sv298=svib
    sc298=scor
    se298=selec
    ct298=cttotal
    st298=sttotal
    write(5,124)ht298
124 format(5x,'0',13x,'0',4x,f12.4,10x,'0',5x,'Translational')
    write(5,125)he298
125 format(19x,'0',4x,f12.4,10x,'0',5x,'Electronic')
    if(igas.eq.'M'.or.igas.eq.'m')go to 25
    write(5,200)hr298
200 format(19x,'0',4x,f12.4,10x,'0',5x,'Rotational')
    write(5,201)hv298
201 format(19x,'0',4x,f12.4,10x,'0',5x,'Vibrational')
    write(5,202)hc298
202 format(19x,'0',4x,f12.4,10x,'0',5x,'Anharmonic')
    25 write(5,203)ht298
203 format(19x,'0',4x,f12.4,10x,'0',5x,'Total')
    hout=h298/1000.
    write(1,204)hout
204 format(8x,'0',13x,'0',3x,f11.3,13x,'0')
    istart=2
    go to 17
19 continue
    close (unit=1)
    end

c
c subroutine to calculate partition functions
c
    subroutine Q(e,g,nlevel,T,q0,q1,q2)
    Real*8 e(nlevel),g(nlevel),T,q0,q1,q2,kT,ekT,ge
    kT=1.438785935/T

```

```
q0=0.0
q1=0.0
q2=0.0
do 1 i=1,nlevel
  ekT=e(i)*kT
  ge=exp(-ekT)*g(i)
  q0=q0+ge
  q1=q1+ekT*ge
1 q2=q2+ekT*ekT*ge
  return
end
```

PROGRAM OUTPUT

ZrI4(g)			
T	Cp	H-H298	S
K	cal/mol-K	kcal/mol	cal/mol-K
0	0	-6.330	0
100.00	21.258	-4.743	80.982
200.00	24.284	-2.430	96.897
298.15	25.090	0.000	106.772
300.00	25.098	0.046	106.927
400.00	25.410	2.574	114.196
500.00	25.559	5.123	119.884
600.00	25.642	7.684	124.552
700.00	25.692	10.251	128.509
800.00	25.725	12.822	131.942
900.00	25.748	15.395	134.973
1000.00	25.764	17.971	137.687
1100.00	25.776	20.548	140.143
1200.00	25.785	23.126	142.386
1300.00	25.792	25.705	144.450
1400.00	25.798	28.284	146.362
1500.00	25.802	30.864	148.142
1600.00	25.806	33.445	149.807
1700.00	25.809	36.026	151.372
1800.00	25.812	38.607	152.847
1900.00	25.814	41.188	154.243
2000.00	25.816	43.769	155.567

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