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# Vapor/Solid Chemisorption Model for Passive Sampling of Aldehydes

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The vapor-phase chemisorption isotherms of valeraldehyde (*n*-valeraldehyde; 1-pentanal) and acrolein (2-propenal) above the critical face velocity (7.5 cm/s) were investigated at 25°C and 36 percent relative humidity (RH) for a passive air sampling pellet of 10 percent O-(2,3,4,5,6-pentafluorobenzyl)-hydroxylamine hydrochloride (PFBHA) on Tenax TA solid sorbent (80/100 mesh). A dynamic air dilution system with syringe pumps generated the vapor concentrations and humidity for the exposure chamber. The O-oxime derivatives were desorbed with hexane for gas chromatographic analysis on a nonpolar capillary column and electron capture detection. The pellet capacity was about 30  $\mu$ moles. Adsorption of valeraldehyde was best fitted by a Langmuir or Brunauer-Emmett-Teller (BET) I model. That for acrolein was described best by a Dubinin-Radushkevich model. A microporosity model explained why all the classical isotherms described the chemisorption behavior. An activated extrinsic precursor was suggested to facilitate the addition reaction by production of a protonated intermediate formed by the transfer of a proton to the aldehyde from an activated reaction site consisting of at least 2 PFBHA molecules.

**Keywords** Chemisorption, Adsorption, Isotherm, Aldehyde, Passive Sampling, Diffusion

Aldehydes are important industrial chemicals, and irritant products of combustion (for example, from automobile exhaust) and of oxidation (for example, in photochemical smog).<sup>(1–3)</sup> Formaldehyde, acetaldehyde, crotonaldehyde, and furfural are also animal carcinogens.<sup>(2)</sup>

Air sampling methods for aldehydes often use solid sorbents with pumps.<sup>(1–8)</sup> Passive samplers having no pump and sampling by diffusion are convenient, light, and inexpensive;

many can be deployed simultaneously.<sup>(9)</sup> Commercial solid sorbent passive samplers for the lower aldehydes are usually based on 2,4-dinitrophenylhydrazine (2,4-DNPH).<sup>(10–13)</sup> Our research group has reported on the aldehyde chemisorption derivatives of O-(2,3,4,5,6-pentafluorobenzyl)hydroxylamine hydrochloride (PFBHA) in dynamic<sup>(7,8)</sup> and passive<sup>(14,15)</sup> air sampling with PFBHA-coated Tenax at ppbv-ppmv concentrations. Temperature and relative humidity (RH) do not affect sampling efficiency and capacity,<sup>(7,8,14,15)</sup> unlike in the 2,4-DNPH methods. Since Tenax TA has a very low bed volume for water vapor, RH effects on bed capacities of organic adsorbates are minimal.<sup>(16)</sup> Aldehyde vapors are also physically adsorbed by Tenax TA.<sup>(17,18)</sup> Chemisorption of aldehydes with PFBHA coated on a fused silica fiber is also used<sup>(19,20)</sup> in solid phase microextraction (SPME)<sup>(21)</sup> of air headspace analysis above aqueous solutions.

Chemisorption often obeys a Langmuir adsorption isotherm (Brunauer-Emmett-Teller [BET] Type I) model<sup>(22)</sup> that also fits many physical adsorption processes. The aim of the present study was to use the PFBHA-coated Tenax TA system as a model passive chemisorptive system to investigate classical isotherm utility to define capacity parameters for aldehyde chemisorption.

## EXPERIMENTAL SECTION

### Diffusion Theory and Adsorption

For a cylindrical open tube,<sup>(14,15)</sup> a sampling constant  $k_{\text{analyte}}$  is defined for the analyte in air through Fick's first law of diffusion, Eq. (1):

$$dm_{\text{analyte}}/dt = (DA/L)(C_{\text{air}} - C_{\text{surf}}) = k_{\text{analyte}} (C_{\text{air}} - C_{\text{surf}}) \quad [1]$$

where  $dm_{\text{analyte}}/dt$  is the analyte mass sampling rate or mass transfer rate, weight/time;  $D$  is the analyte diffusion coefficient in air,  $\text{cm}^2/\text{s}$ ;  $A$  is the cross-sectional area of the sampling surface,  $\text{cm}^2$ ;  $L$  is the effective diffusion path length,  $\text{cm}$ ;  $C_{\text{air}}$  is the air concentration of the analyte,  $\text{weight}/\text{cm}^3$ ;  $C_{\text{surf}}$  is the air concentration of analyte at the sampling surface in the same units as  $C_{\text{air}}$ ; and  $k_{\text{analyte}} = DA/L$  is the analyte sampling constant,  $\text{cm}^3/\text{time}$ .

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D depends on molecular weight M and temperature T as in Eq. (2):<sup>(23,24)</sup>

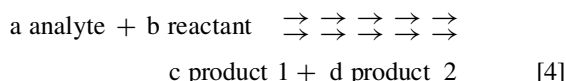
$$D = 0.001 T^{1.75} (1/M_{\text{air}} + 1/M_{\text{analyte}})^{0.5} / \{p_e [v_{\text{air}}^{1/3} + v_{\text{analyte}}^{1/3}]^2\} \quad [2]$$

where D is the diffusion coefficient of analyte in air in cm<sup>2</sup>/s; T is temperature, K; M<sub>air</sub> and M<sub>analyte</sub> are molecular weights for air and the analyte respectively, g/mol; p<sub>e</sub> is the external pressure, bar; v<sub>air</sub> is the normalized molecular diffusion volume of air, unitless; v<sub>analyte</sub> is the normalized molecular diffusion volume of analyte, being the sum of the normalized diffusion volumes of the component atoms, unitless.

C<sub>surf</sub> is important near saturation, but is negligible if chemisorption is fast and efficient and the product is much less volatile than the initial physically adsorbed species. Hence:

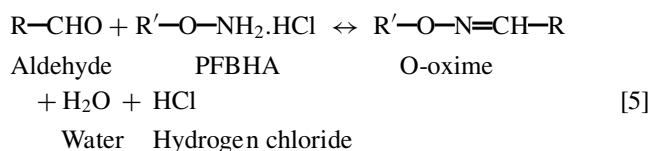
$$dm_{\text{analyte}}/dt \cong (DA/L)C_{\text{air}} \cong k_{\text{analyte}}C_{\text{air}} \quad [3]$$

The chemisorptive reaction can be represented generally as:



where a, b, c, and d are the moles of analyte, reactant, product 1, and product 2, respectively.

The overall reaction for an aldehyde with one carbonyl group R—CHO (R is H, alkyl, or aryl) and PFBHA R'—O—NH<sub>2</sub>·HCl (R' is the 2,3,4,5,6-pentafluorobenzyl group) is:



One mole of aldehyde produces one mole of O-oxime product, assuming no side reactions and perfect yield (reaction fractional efficiency R<sub>e</sub> = 1). For excess PFBHA, the number of moles of O-oxime product measured is then the same as the number of moles of aldehyde reacted, and the rate of product formation (mol/time) equals the aldehyde reaction rate (mol/time). The reacted aldehyde mass transfer rate dm<sub>analyte</sub>/dt in units of mass/time is thus:

$$dm_{\text{analyte}}/dt = (dm_{\text{product}}/dt) (M_{\text{analyte}}/M_{\text{product}}) \times (1/R_e) = (dm_{\text{product}}/dt) (f/R_e) \quad [6]$$

where M<sub>product</sub> is the molecular weight of the reaction product (the O-oxime); f = M<sub>analyte</sub>/M<sub>product</sub>.

dm<sub>analyte</sub>/dt in Eq. (6) and dm<sub>analyte</sub>/dt in Eqs. (1) and (3) are not necessarily equal. Equations similar to Eqs. (1) and (3) can be written for dm<sub>analyte</sub>/dt as:

$$\begin{aligned} dm_{\text{analyte}}/dt &= (DR_rA/L)(C_{\text{air}} - C_{\text{surf}}) = R_r k_{\text{analyte}} (C_{\text{air}} - C_{\text{surf}}) \\ &= k'_{\text{analyte}} (C_{\text{air}} - C_{\text{surf}}) \end{aligned} \quad [7]$$

where k'<sub>analyte</sub> = (DR<sub>r</sub>A/L) = R<sub>r</sub> k<sub>analyte</sub>, since not all the physically adsorbed analyte molecules may react, as reflected in R<sub>r</sub>, the physically adsorbed fraction that also chemisorbs.

As for Eq. (3) and considering Eq. (6):

$$\begin{aligned} dm_{\text{analyte}}/dt &\cong (DR_rA/L)C_{\text{air}} \cong k_{\text{analyte}} R_r C_{\text{air}} \cong k'_{\text{analyte}} C_{\text{air}} \\ &\cong (dm_{\text{product}}/dt) (f/R_e) \end{aligned} \quad [8]$$

The relationship between dm<sub>product</sub>/dt and C<sub>air</sub> over a specific sampling time is determined experimentally to define (k<sub>analyte</sub> R<sub>r</sub> R<sub>e</sub>)/f practically, assuming constant R<sub>e</sub> and R<sub>r</sub>. The useful range for passive sampling is the linear Henry's Law region that Eqs. (3) and (8) reflect. If C<sub>surf</sub> ≠ 0, a still usable linear relationship with a non-zero intercept may result, Eqs. (1) and (7). In contrast, adsorption isotherm studies involve C<sub>air</sub> above the linear region to define bed capacity and the area of the adsorbing sites, and where R<sub>r</sub> and R<sub>e</sub> may not be constant.

## Aldehydes Selected

Acrolein and valeraldehyde were investigated. They are at the extremes of recommended or regulated workplace concentrations for an 8-hr workday: the acrolein permissible exposure limit is 0.1 ppmv; the valeraldehyde time weighted average threshold limit value (TWA-TLV<sup>®</sup>) is 50 ppmv. The PFBHA O-oximes have also been synthesized.<sup>(7,8)</sup> Acrolein is a stiff short molecule whereas the long chain of valeraldehyde is flexible.

## Materials

Acrolein (97%) and valeraldehyde (99%) were from Aldrich (Milwaukee, WI), as was the GC internal standard, decafluorobiphenyl. Hexane (Optima), methanol (Optima), nitric acid, activated charcoal, molecular sieves, and Drierite were from Fisher Scientific. PFBHA was from Lancaster Laboratories. Tenax TA (80/100 mesh; specific surface area, 35 m<sup>2</sup>/g)<sup>(18)</sup> was from Alltech (Deerfield, IL), and it was purified and dried as detailed elsewhere.<sup>(14,15)</sup> Helium, nitrogen, and 95 percent methane/argon were ultrapure grade from Alphagaz.

## Equipment

The detailed list of laboratory equipment, operation of the air dilution system of Figure 1, and preparation of the passive sampler (Figure 2) are provided elsewhere.<sup>(14,15)</sup>

A Hewlett-Packard 5890 GC/<sup>63</sup>Ni-ECD utilized a 30-m × 0.32-mm ID 1-μm DB-1701 chemically bonded fused-silica capillary column (J&W Scientific) at 3.0 ± 0.4 ml/min of 95 percent methane/argon. The injector and detector temperatures were 250°C. The column temperature program for valeraldehyde was: solvent delay, 5 min at 105°C; 105°C for 0.5 min; 105°C to 180°C at 10°C/min; and holding 4 min. The program for acrolein was the same except 105°C to 230°C at 10°C/min, and holding 9 min were used for the last two steps. The areas of both E- and Z-isomers were utilized for quantitations. Linear

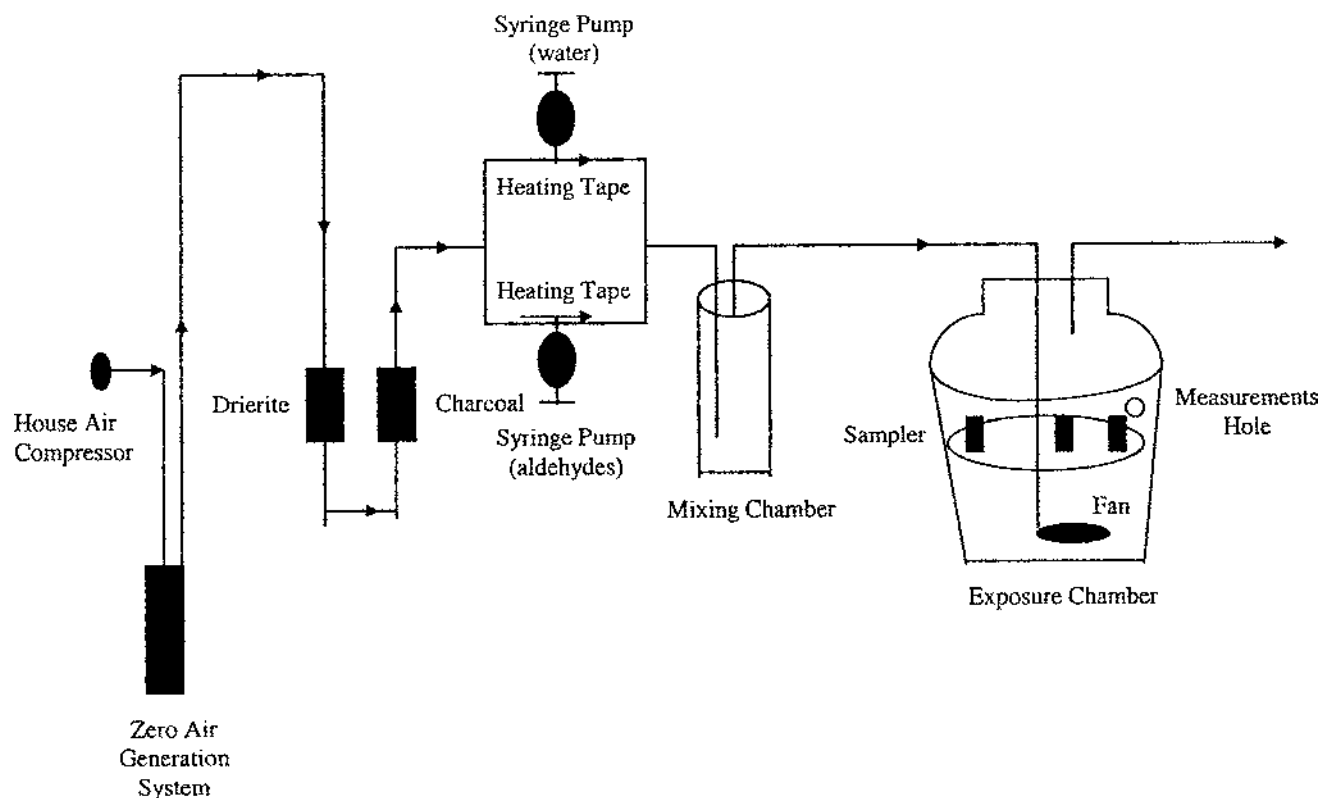


FIGURE 1

Aldehyde vapor generation and exposure chamber system schematic.

ranges were 200 to 1500 pg valeraldehyde equivalent and 180 to 3500 pg acrolein equivalent. Injections of 2- $\mu$ l were used.

### Desorption Efficiency of O-Oximes

A volume of 50  $\mu$ l of hexane solution containing the theoretical mass of O-oxime formed after sampling 8 hours of exposure at the PEL or TLV was spiked onto the pellet. The spiked pellet was held overnight in a desiccator containing Drierite before desorption with 2.0 ml hexane at room temperature for 2 hr with ultrasonication for 0.2 min every half hour before GC/ECD analysis. All experiments were in triplicate.

### Reaction Efficiency/O-Oxime Recovery for Wet Spiking of Aldehyde and Capacity Studies

A weight of 1.338 mg of liquid valeraldehyde (2 TLV  $\times$  8 hr mass) was spiked directly onto the sampling pellet. Acrolein was spiked at 1.81  $\mu$ g (2 PEL  $\times$  8 hr) in 50  $\mu$ l of methanol. GC/ECD analyses were then performed on desorption of the PFBHA O-oximes after an overnight holding period in a desiccator. Liquid spiking capacities were also determined at higher aldehyde concentrations until saturation. PFBHA aldehyde pure standards were used for quantification. All experiments were in triplicate.

### Vapor Exposures

Triplicate exposures were performed at  $(25 \pm 1)^\circ\text{C}$ ,  $(36 \pm 2)$  percent RH, and 51 ft/min (25.5 cm/s), the latter being above the

critical face velocity of 15–20 ft/min (7.6–10.0 cm/s). Direct-reading photoionization detection (PID; 11.6 eV lamp; H-Nu Model 101) of the exposure chamber vapor concentration occurred  $>1$  ppmv. The total ppm-hr was obtained by summing the area under the PID ppmv versus time plots. The half-time to maximum concentration was 5–10 min, and to baseline from the maximum was 10–15 min. Acrolein TWA concentrations over the exposure period were obtained by the PFBHA dynamic sampling method<sup>(7)</sup> at 50 ml/min pump flow rate with 3 ml hexane desorption, and GC/ECD analysis.

The usual protocol involved generating at least 0, 8.0, and 16 times the TLV concentration over one hour of exposure, and then continuing with higher concentrations increasing twofold in 1-hr exposures to reach pellet capacity, as signified by constant O-oxime formed. Previous work has shown sampler equivalence for a TLV concentration exposed for 8 hr with that for 8 times the TLV concentration exposed for 1 hr.<sup>(14)</sup> Passive samplers were desorbed with hexane as for the spiking studies, followed by GC/ECD analysis.

### Adsorption Isotherms

The aldehyde equivalent moles desorbed per unit weight of sorbent  $q_A$  was first calculated from the moles of determined O-oxime as indicated in Eqs. (5) and (6), correcting for the measured desorption and sampling efficiencies (mol/g solid). Other key parameters calculated were:  $C_A$ , the concentration

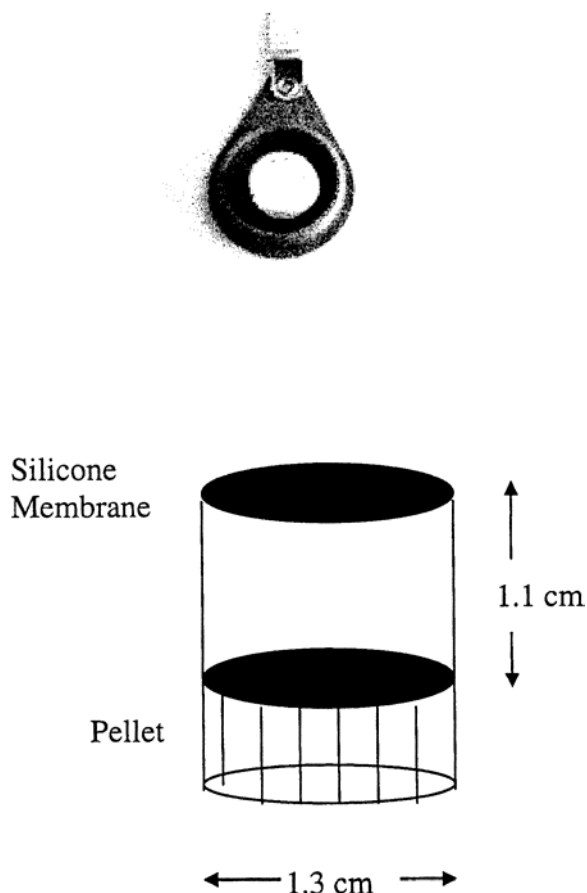


FIGURE 2

Cross section of the passive sampler.

(mol/cm<sup>3</sup>) of aldehyde in the air corresponding to its air partial pressure  $p$  (assuming the Ideal Gas law  $p/RT$  where  $R$  is the gas constant and  $T$  in K) that produced its O-oxime product  $q_A$  (mol/g) over the exposure time;  $C_A^*$ , the air concentration (mol/cm<sup>3</sup>) that corresponds to the vapor pressure  $p^*$  at temperature  $T$  (in K), corrected for  $T$  by the Clausius-Clapeyron equation; and the relative pressure  $z = p/p^* = C_A/C_A^*$ .

The linearization equations and parameters for each classical isotherm are provided in Table I.<sup>(22)</sup> A BET isotherm applies for a linear plot of  $z/([1-z]q_A)$  versus  $z$ . The BET Type I isotherm is also the Langmuir isotherm (linear  $C_A/q_A$  versus  $C_A$  plot). For a Freundlich isotherm,  $\ln q_A$  versus  $\ln C_A$  is linear. For the Dubinin-Radushkevich (D-R) isotherm,  $\ln(q_A = W/V_l)$  versus  $R^2T^2(\ln^2 z^{-1})$  is linear ( $W$  is the observed filled volume of adsorption sites, ml/g;  $V_l$  is the liquid molar volume, ml/mole;  $R$  is the gas constant; and  $T$  is in K). Other parameters calculated included the specific analyte bed capacity  $n_m$  (mol/g sorbent), the specific analyte bed volume capacity  $v_m$  ( $\mu$ l/g), and analyte adsorption energies in kJ/mol.

### Statistics

Analysis of variance type I and II procedures were used to detect significant differences and interactions at  $p \leq 0.05$ .<sup>(26)</sup>

Means were also compared with Student's  $t$  tests at  $p \leq 0.05$ .<sup>(26)</sup> Linear regressions were performed with an SAS statistical package that also provided standard deviations of the slope and intercept as well as correlation coefficients  $R$  and  $p$  values.

## RESULTS AND DISCUSSION

### Desorption Efficiencies and Effects of Physical Parameters

The desorption efficiencies for wet spiking of PFBHA oximes of valeraldehyde and acrolein at  $8 \times \text{TLV}$  concentration equivalent were  $95.6 \pm 5.4$  percent and  $107.2 \pm 5.4$  percent, respectively, not significantly different from 100 percent at  $p \leq 0.05$  for the same relative standard deviations (RSD). The respective recoveries after wet spiking of aldehyde well below saturation were  $94.0 \pm 3.6$  percent and  $98.5 \pm 7.3$  percent. The acrolein vapor moles chemisorbed assuming  $R_e = 1$  were not significantly different from the moles predicted from Eqs. (2) and (3), being  $96.8 \pm 3.4$  percent from 30 experiments at 10 different conditions at vapor concentrations 0.08–1.6 ppmv for 1 hr<sup>(14)</sup> or  $(dm_{\text{analyte}}/dt)/(dm_{\text{analyte}}/dt) = 0.968 \pm 0.034$ , near 1.0. Similarly, the ratio for valeraldehyde vapor at 40–800 ppmv for 1 hr was  $0.750 \pm 0.019$ . The  $D$  calculated from Eq. (2) for valeraldehyde may not be for the normal-chain isomer because the Fuller-Schettler-Giddings model<sup>(23)</sup> does not distinguish skeletal isomers. Since normal chain isomers have the lowest vapor pressures of isomers, the corresponding  $D$  may be the lowest for the straight-chain isomer. Thus, the calculated  $D$  may be too high, and the calculated  $R_r$  too low. This illustrates why experimental  $D$  have to be determined.

### Capacities

Figure 3 shows the vapor isotherms as moles of product per 150 mg pellet from Eq. (6) versus aldehyde moles expected to react from Eq. (3) using calculated  $D$  from Eq. (2). The slopes are not close to 1.0 at these high air concentrations. Figure 3 shows the same asymptotes for both aldehydes at 29–33  $\mu$ mol.

The measured vapor and wet spiking pellet capacities were  $32.9 \pm 3.5$  and  $28.0 \pm 4.8$   $\mu$ mol valeraldehyde, respectively. The corresponding data for acrolein were  $29.1 \pm 2.8$  and  $25.9 \pm 5.4$   $\mu$ mol, respectively. There were no statistical differences at  $p \leq 0.05$  between vapor recoveries, liquid recoveries, and vapor/liquid recoveries for each aldehyde. The grand average pellet capacity for valeraldehyde under all conditions was  $30.5 \pm 3.5$   $\mu$ mol and that for acrolein was  $27.5 \pm 2.3$   $\mu$ mol, not statistically different at  $p \leq 0.05$ . The average limiting capacity for both was thus  $29.0 \pm 5.8$   $\mu$ mol or an  $n_m$  of  $193 \pm 39$   $\mu$ mol/g. The theoretical monocarbonyl capacity is 60  $\mu$ moles,  $n_m = 400$   $\mu$ mol/g. Thus, about half of the total potential capacity of the PFBHA coated pellet can actually be used, and this is suggestive of a kinetically limited uptake rate.

If aldehydes are initially physically adsorbed as vapors, the measured average aldehyde volume pellet capacity is 0.709 cm<sup>3</sup> or a specific volume capacity of 4.72 cm<sup>3</sup>/g, assuming ideality.

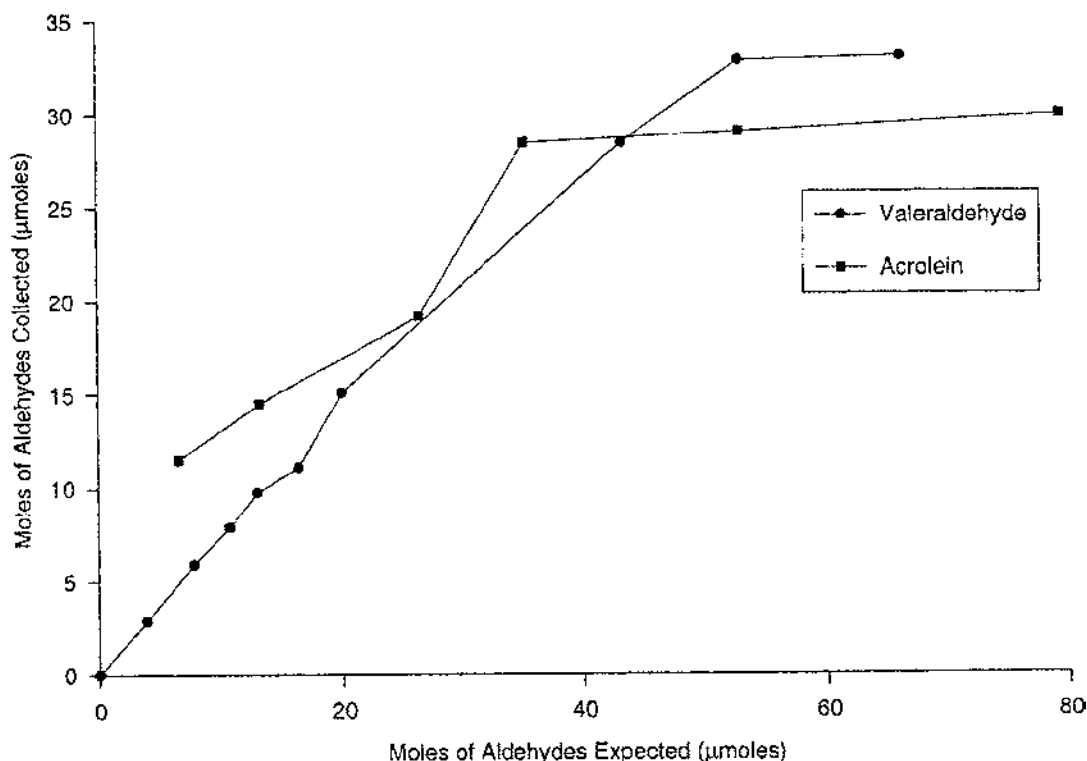


FIGURE 3

Vapor isotherm for acrolein and valeraldehyde in terms of aldehyde reacted for  $R_e = 1$  for a 150 mg pellet of coated solid sorbent versus theoretical aldehyde reacted as calculated from Eq. (2) for D and then Eq. (3).

Since the pore volume of uncoated Tenax TA is about  $5.43 \text{ cm}^3/\text{g}$  by nitrogen BET analysis, an initial physical adsorption of aldehyde vapor is possible. The corresponding average liquid aldehyde pellet volumes for valeraldehyde and acrolein at saturation are  $0.00322$  and  $0.00183 \text{ cm}^3$  with respective  $v_m$  of  $0.0215$  and  $0.0122 \text{ cm}^3/\text{g}$ .

#### Adsorption Isotherm Linearization Analysis

For valeraldehyde (Figure 3), a linear uptake occurred between  $C_A$  of  $0.011$  to  $0.055 \text{ } \mu\text{mol}/\text{cm}^3$ , the latter being at 46 percent of saturation after 1 hr:

$$q_A = 1730 C_A + 0.640 \quad R^2 = 0.9876 \quad p \leq 0.001 \quad \text{for } n = 6 \quad [9]$$

The slope is  $1730 \pm 31 (\mu\text{mol}/\text{g sorbent})/(\mu\text{mol}/\text{cm}^3 \text{ vapor})$ , and is related to  $(k_{\text{analyte}} R_r R_e)/f$ . The intercept for Eq. (9) is not significantly different from zero at  $p \leq 0.05$ , assuming the same RSD. Therefore, this part of the isotherm obeys Henry's Law, and  $R_e$  is close to 1. Passive sampling is thus practical up to 46 percent of pellet capacity for valeraldehyde.

For acrolein over  $C_A$  of  $0.019$  to  $0.099 \text{ } \mu\text{mol}/\text{cm}^3$  (the latter causing about 95% saturation after 1 hr of exposure), the linear regression equation is:

$$q_A = 1330 C_A + 47.1 \quad R^2 = 0.9378 \quad p \leq 0.05 \text{ for } n = 4 \quad [10]$$

The slope is  $1330 \pm 170 (\mu\text{mol}/\text{g sorbent})/(\mu\text{mol}/\text{cm}^3 \text{ vapor})$ , and differs statistically from that for valeraldehyde at  $p \leq 0.05$ . The intercept is non-zero. The Henry's Law region is  $< 0.019 \text{ } \mu\text{mol}/\text{cm}^3$ .

#### Linearization Data Analysis for Classical Isotherms

Table I presents the linearization regression equation data for the classical isotherms. All the plots were linear for both aldehydes at  $p \leq 0.005$  using all data of each aldehyde (Range 1 in Table I). Acrolein was best fitted by Langmuir and BET plots at  $p \leq 0.001$  with the BET linearization marginally having the highest  $R^2$ . Valeraldehyde adsorption was best characterized by Freundlich and D-R plots, with D-R being the best linearization model relative to  $R^2$ . The highest three x-axis points for the Langmuir and BET linearity plots were responsible for the linearity of the entire data set for valeraldehyde (Ranges 2 and 3 in Table I). The acrolein BET plot intercept is not statistically different from zero at  $p \leq 0.001$ , as were the Langmuir and BET intercepts for the three highest concentration data points for valeraldehyde. All other intercepts statistically differed from zero at  $p \leq 0.05$ . The BET F factors were similar at  $179 \pm 14$  and  $142 \pm 13$  units for valeraldehyde and acrolein, respectively; all other corresponding parameters were significantly different at  $p \leq 0.05$ . Freundlich linearization plots produced a slope for valeraldehyde of  $0.897$  and of  $0.433$  for acrolein, both slopes  $< 1$  as expected.

**TABLE I**  
Comparison of adsorption isotherm linearity plot parameters for valeraldehyde and acrolein

Aldehyde	Isotherm	Range	Linear plot regression parameters			
			Slope	Intercept	R <sup>2</sup>	p
Valeraldehyde	Langmuir	1	$122(31) \times 10^{-5}$	$5.25(0.29) \times 10^{-4}$	0.8314	< 0.001
		2	$431(45) \times 10^{-5}$	$43(69) \times 10^{-6}$	0.9947	< 0.05
		3	$33(25) \times 10^{-5}$	$56(244) \times 10^{-5}$	0.0479	0.856
	BET	1	$165(27) \times 10^{-5}$	$1935(94) \times 10^{-7}$	0.8441	< 0.001
		2	$479(36) \times 10^{-5}$	$59(209) \times 10^{-7}$	0.9943	< 0.05
		3	$56(27) \times 10^{-5}$	$21(111) \times 10^{-5}$	0.1228	0.483
	Freundlich	1	0.897(0.037)	7.096(0.115)	0.9881	< 0.001
	D-R	1	-0.2914(0.0098)	6.273(0.068)	0.9921	< 0.001
Acrolein	Langmuir	1	$399(38) \times 10^{-5}$	$201(46) \times 10^{-6}$	0.9658	< 0.001
	BET	1	$417(38) \times 10^{-5}$	$29(70) \times 10^{-6}$	0.9671	< 0.001
	Freundlich	1	0.433(0.060)	6.056(0.164)	0.9306	< 0.005
	D-R	1	-0.120(0.016)	5.90(0.14)	0.9343	< 0.005

BET, Brunauer-Emmett-Teller; D-R, Dubinin-Radushkevich; Range 1, all data; Range 2, highest three data for x-axis; Range 3, all data except range 2 data; slope and intercept data are in appropriate units and provided as arithmetic mean and standard deviation; R<sup>2</sup>, square of the correlation coefficient; p, statistical probability of non-linearity using Student's t.

Langmuir Adsorption Isotherm:  $C_A/q_A = C_A/n_m + 1/(bn_m)$  where  $C_A$  is the concentration of adsorbate in the vapor phase (mol/cm<sup>3</sup>),  $q_A$  is the moles adsorbed/g sorbent,  $n_m$  is the mole of adsorbate/g for single occupation of all sites, and  $b$  is the Langmuir constant (cm<sup>3</sup>/mol).

BET Adsorption Isotherm:  $z/(1-z)q_A = (F-1)z/Fn_m + 1/Fn_m$  where  $z$  is the reduced pressure, and  $F$  is the BET constant.

Freundlich Adsorption Isotherm:  $\ln q_A = \ln K + 1/n \ln C_A$  where  $K$  is the Freundlich preexponential factor, and  $n$  is the Freundlich exponential factor.

Dubinin-Radushkevich Adsorption Isotherm:  $\ln q_A = \ln n_m - (k''R^2T^2 \ln^2 z^{-1})/\gamma^2$  where  $n_m = W^*/V_1$  where  $W^*$  is the limiting potential specific volume (ml/g) at temperature  $T$  in K,  $V_1$  is the liquid molar volume (ml/mol),  $k''$  is a constant (energy<sup>-2</sup>),  $\gamma$  is the affinity coefficient, and  $R$  is the gas constant in appropriate units.

Table II presents the  $n_m$  and  $v_m$  calculated from Table I for three classical adsorption isotherms. The Langmuir slope for all the valeraldehyde data (Range 1) was  $0.00122 \pm 0.00031$  g/ $\mu$ mole. Therefore,  $n_m$  is  $1/(0.00122 \pm 0.00031) = 820 \pm 210$   $\mu$ mol/g (Table II), with poor precision (CV = 26%). If only the three highest concentration points are regressed (Range 2 in Table I), the slope is  $0.00431 \pm 0.00045$  g/ $\mu$ mol, and its  $n_m$  of  $232 \pm 24$   $\mu$ mol/g is not significantly different from the measured  $203 \pm 21$   $\mu$ mol/g. The same analysis using BET linearization yielded respective  $n_m$  values of  $622 \pm 100$  and  $210 \pm 16$   $\mu$ mol/g (Table II). Neither of these values differed significantly from the corresponding Langmuir  $n_m$  at  $p \leq 0.05$ . For acrolein, there was also no significant difference between the corresponding Langmuir and BET  $n_m$  (Table II). This behavior for both aldehydes is expected if a BET I isotherm is equivalent to the Langmuir isotherm. The D-R analysis produced  $n_m$  of  $530 \pm 36$  and  $365 \pm 52$   $\mu$ mol/g for valeraldehyde and acrolein, respectively, statistically different from each other at  $p \leq 0.05$ .

The isotherm  $n_m$  range is between 1.1–4.0 times the measured  $n_m$ , and 0.58–2.1 times the theoretical  $n_m$ . No isotherm that utilized all the experimental data predicted experimental saturation  $n_m$  even for  $p \leq 0.001$  linearity. The BET isotherm came closest for acrolein.

**TABLE II**  
Comparison of sorbent capacity terms for three adsorption isotherms for valeraldehyde and acrolein (parameters are defined in Table I)

Aldehyde	Isotherm	Range	Capacity ( $\mu$ mol/g)	Liquid aldehyde capacity ( $\mu$ l/g)
Valeraldehyde	Langmuir	1	820(210) <sup>A</sup>	86(22) <sup>A</sup>
		2	232(24)	24.4(2.5)
	BET	1	622(100) <sup>A</sup>	46.1(7.4) <sup>A</sup>
		2	210(16)	22.1(1.7)
	D-R	1	530(36) <sup>A</sup>	39.1(2.7) <sup>A</sup>
Acrolein	Experimental		203(21)	21.5(2.2)
	Langmuir	1	251(24) <sup>A</sup>	16.7(1.6) <sup>A</sup>
	BET	1	242(22) <sup>A</sup>	16.1(1.5) <sup>A</sup>
	D-R	1	365(52) <sup>A</sup>	24.3(3.5) <sup>A</sup>
	Experimental		183(15)	12.2(1.0)

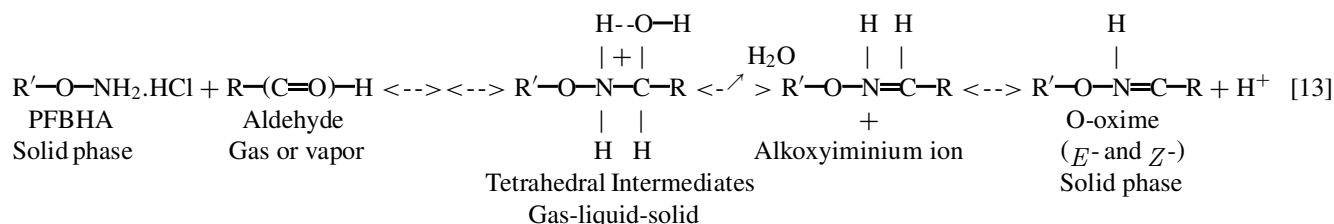
<sup>A</sup>Significantly different from experimental value at Student's t at  $p \leq 0.05$ .

Calculation of activation energy was only possible for the BET F parameter.

$$F = g_0 \exp [-(\Delta H_1 - \Delta H_L)/RT] \quad [11]$$

where  $\Delta H_1$  is the enthalpy of adsorption of the first layer, and  $\Delta H_L$  is the heat of liquefaction or solidification at temperature

For the last step of Eq. (12) and assuming carbonyl nucleophilic addition chemistry,<sup>(29)</sup> the trigonal carbonyl group (bond length 120–122 pm; bond energy of about 670 kJ/mol)<sup>(27)</sup> reacts with one molecule of PFBHA to form several tetrahedral intermediates, an alkoxyiminium ion, and on loss of a proton, the O-oxime,<sup>(29)</sup> Eq. (13):

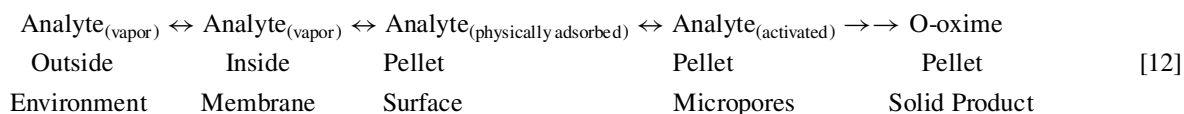


T in K, with  $g_0$  being the entropic factor, the latter usually being set equal to 1.0. BET Type II and IV adsorption isotherms occur for  $\Delta H_1 > \Delta H_L$ , and BET Types III and V for  $\Delta H_1 < \Delta H_L$ . For a BET Type I isotherm,  $\Delta H_L = 0$ .

The simplest model is BET I since it assumes a monolayer for both physical adsorption and chemisorption and there is no explicit assumption of a liquid layer. Since  $F = 179 \pm 14$  and  $142 \pm 13$  for valeraldehyde and acrolein, at  $g_0 = 1$  the respective  $\Delta H_1$  values are  $15.2 \pm 1.2$  and  $14.5 \pm 1.3$  kJ/mol. Such energies are not characteristic of covalent bond energies but are more like energies for physical adsorption and hydrogen bonding that range from 13 to 32 kJ/mol.<sup>(22)</sup> Since carbonyl bond energy is enhanced by conjugation in acrolein increasing to 773 kJ/mol from 670 kJ/mol mostly in the  $\pi$ -bond component,<sup>(27)</sup> acrolein chemisorption is expected to be more energetic than for valeraldehyde if the addition reaction is the rate determining step. This is not so. For BET II–V models, the respective  $\Delta H_L$  energies are 34.0 and 31.3 kJ/mol calculated from the Clausius-Clapeyron equation. The calculated respective  $\Delta H_1$  values are 18.8 and 16.8 kJ/mol for all the data for each aldehyde. The  $\Delta H_1$  for the high concentration range for valeraldehyde is 22 kJ/mol. Thus BET III or V behavior is supported for a multilayer adsorption process. Since these BET types II–V calculations assume liquid aldehyde layers, the low enthalpy values are expected. No literature data exist for  $g_0$  which is usually obtained through temperature measurements. There is no temperature dependence of  $(k_{\text{analyte}} R_r R_e)/f$  between 4–48°C,<sup>(14)</sup> a characteristic of adsorptions described by the D-R isotherm, which has no activation energy parameter.

### Addition Reaction, Bond Energies and Bond Lengths

The adsorption model is:



where R' is the (2,3,4,5,6-pentafluorobenzyl) group; R is an alkyl, aryl, or alicyclic group.

The tetrahedral intermediate in Eq. (13) is just one of many possible but is the most stable one. Its  $\sigma$  C–O bond has an energy of about 340 kJ/mol. The bond lengths in pm are: C–O, 143; O–H, 95.6; C–H, 109.6; C–C, 154; C–N, 147. The various angles are HCO 108.9°, HCH 123.55°, and CCH 109.5°. The hydrogen bonds have energies of 13–32 kJ/mol.<sup>(27)</sup> The tetrahedral intermediates all have weak hydrogen bonds as does the oxime product.<sup>(30)</sup> The RCH[(O)H–N] bond is about 216 pm and 14.3 kJ/mol.<sup>(29)</sup> The RCH[(O)H–O] bond is 193 pm and 29.1 kJ/mol for the E-form, and 190–205 pm and 21.7–31.6 kJ/mol for the Z-form. The intramolecular H-bond lengthens from 207 to 240 pm on protonation, and its strength decreases. In the O-oxime product, the N=C bond length is about 128 pm.

The actual addition process is usually visualized in two ways<sup>(29)</sup>: the carbonyl group and the electron pair of a strong nucleophile first form a tetrahedral oxyanion, which is further protonated twice at the oxygen, and then dehydrated to produce O-oxime. The other mechanism involves acid catalysis to protonate the carbonyl group first to give an oxonium ion, whose carbon accepts the electron pair of a weak nucleophile to produce the first tetrahedral intermediate, with a hydrogen on the bonded nucleophile being then removed by a base to form the aminoalcohol. Acid catalysis is important in solution.<sup>(31)</sup>

PFBHA, like other hydroxylamine hydrochloride salts, can form a lattice with strong hydrogen bonds and can donate protons to a suitable acceptor molecule like an aldehyde that can reciprocate with a donated electron but not a proton.<sup>(29)</sup> Having PFBHA molecules in close proximity in a solid coating may



facilitate proton donation to form an activated oxonium ion. Efficient reaction due to the orienting effect of the surface PFBHA molecules may also occur. Since only about half the theoretical capacity is actually available for reaction, the minimum number of PFBHA molecules for a chemisorptive receptor site may be at least two.

The fluorinated benzyl group of PFBHA may be held by the flat aromatic rings of the Tenax TA surface, with the oxyamino hydrochloride end sticking out from the surface. Rotation will occur about its  $\sigma$  C—O, O—N, and N—H bonds. The bond lengths expected in pm are<sup>(27)</sup>: C=C, 139; C—F, 135; ring C—sidechain C, 150; C—H, 111; C—O, 141; O—N, 124; and N—H, 103. The electronegative ring fluorines will enhance the inductive effect of the sidechain oxygen lone pairs, strengthening the C—O and O—N  $\sigma$ -bonds relative to isolated ones and weakening the N—H bonds. Thus dimeric PFBHA sites could be ready to donate at least one proton to produce an activated protonated aldehyde. The existence of an extrinsic precursor<sup>(32,33)</sup> would allow lateral diffusion of aldehyde on the surface to increase the opportunity to find a free site for reaction. The activation and surface diffusion processes would then be under kinetic control. This could explain the high efficiency of the chemisorption, and the apparent low activation energy.

### Microporosity Considerations

The Tenax TA pellet of path width  $w$  cm is microporous. Tenax TA pores are filled with PFBHA coating molecules. A modification of Eq. (1) is used to describe diffusion control uptake of analyte into microporous surfaces:<sup>(34)</sup>

$$Fl_1 = (D/L)(C_{air} - C_{surf}) \quad [14]$$

where  $Fl_1$  is the average flux of analyte to the actual sorbent surface area in  $\text{mol cm}^{-2} \text{s}^{-1}$ , and  $C_{surf}$  is the concentration of analyte at the pellet surface, and

$$Fl_2 = (\zeta \in D) dC/dx \quad [15]$$

$$= (wD/\alpha L) dC/dx \quad [16]$$

where  $Fl_2$  is the average flux of analyte from the sorbent outer surface into its interior adsorbing area in  $\text{mol cm}^{-2} \text{s}^{-1}$ ;  $\zeta$  is the dimensionless tortuosity factor for interparticle diffusion within the pellet;  $\epsilon$  is the dimensionless fractional interparticle void volume within the pellet;  $x$  is the distance from the pellet surface into its interior for adsorption; and  $\alpha$  is the mass transfer resistance,  $w/\zeta \in L$ .

The area of adsorption for microporous sorbents is defined not only by sampler dimensions, Eqs. (1) and (7), but also by micropore number and micropore size distribution. The surface area  $A$  in Eqs. (1), (3), (7), and (8) is replaced by the actual micropore surface area found from a BET I surface area analysis linearization, and is used to calculate  $Fl_1$  and  $Fl_2$ .

$$\begin{aligned} Fl_2/Fl_1 &= (\zeta \in L)(dC/dx)/(C_{air} - C_{surf}) \\ &= w(dC/dx)/[\alpha(C_{air} - C_{surf})] \end{aligned} \quad [17]$$

At steady-state  $Fl_1 = Fl_2$

$$\zeta \in L dC/dx = (C_{air} - C_{surf}) = w(dC/dx)/\alpha \quad [18]$$

If  $C_{surf}$  is close to zero,

$$\zeta \in L dC/dx = C_{air} = w(dC/dx)/\alpha \quad [19]$$

$$dC/C_{air} = dx/\zeta \in L = \alpha dx/w \quad [20]$$

Integrating between the surface and the average distance  $x$  for which vapor penetration occurs from near the surface at which  $x = 0$  at concentration  $C_{air}$ ,

$$\ln(C_x/C_{air}) = x/\zeta \in L = \alpha x/w = k_m x \quad [21]$$

where  $x/w$  is the reduced distance and  $w$  should be constant.

Thus the constant  $k_m$ , the microporous adsorptivity coefficient in  $\text{cm}^{-1}$ , is  $(1/\zeta \in L = \alpha/w)$ , and  $C_x$  varies exponentially with distance  $x$  away from the original exposure surface, often a micropore.

Mass transfer to within the sorbent pellet is related to the internal pellet concentration:<sup>(34)</sup>

$$\zeta D(d^2C/dx^2) = [(1 - \epsilon)K/\epsilon + 1]dC/dt \quad [22]$$

where concentration equilibrium is assumed between the interparticle void space of macropores, mesopores, and micropores and their adsorbing surfaces with which they are in contact.  $K$  is the partition coefficient in mol of analyte/ $\text{cm}^3$  of sorbent per mol of analyte/ $\text{cm}^3$  vapor for the initial physical adsorption assuming a Henry type law.

Chemisorption can be factored into  $K$  by multiplying it by the reaction efficiency  $R_r$ , the fraction of available analyte molecules in contact with the surface that react (Eq. 7).

$$\zeta D(d^2C/dx^2) = [(1 - \epsilon)KR_r/\epsilon + 1]dC/dt \quad [23]$$

The sampler uptake  $dn/dt$  without chemisorption is the sum of the moles in the air gap, plus those within, and on the sampling pellet collected over sampling time  $t$ :

$$\begin{aligned} dn/dt &= \text{uptake} = C_{air}AD/(L + wn_{air}/\zeta \in n_{max}) \\ &= C_{air}AD/(L + \alpha n_{air}/Ln_{max}) \end{aligned} \quad [24]$$

From Eq. (22),

$$\begin{aligned} (dC/dt)/(dn/dt) &= 1/dV = \zeta C_{air} \alpha^2 (L + \alpha n_{air}/Ln_{max}) / \{Aw^2[(1 - \epsilon)K/\epsilon + 1]\} \\ &= C_{air}(L + \alpha n_A/Ln_{max}) / \{\zeta \in^2 L^2[(1 - \epsilon)K/\epsilon + 1]\} \end{aligned} \quad [25]$$

$dV$  is the volumetric sampling constant of the passive sampler in terms of parameters relating to the microporous nature of the

passive sampler. Equation (25) is essentially a first order relationship with a complex first order rate constant. The linearization relationships for the Langmuir and BET I isotherms would be observed for such a relationship.

Adding chemisorption as a factor replaces  $K$  with  $KR_r$  in Eq. (25) and does not change the above conclusions if  $R_r$  is constant:

$$\begin{aligned} (dC/dt)/(dn/dt) \\ = 1/dV = \zeta C_{\text{air}} \alpha^2 (L + \alpha n_{\text{air}}/L n_{\text{max}}) / \{Aw^2[(1 - \epsilon)KR_r/\epsilon + 1]\} \\ = C_{\text{air}}(L + \alpha n_A/L n_{\text{max}}) / \{\zeta \epsilon^2 L^2[(1 - \epsilon)KR_r/\epsilon + 1]\} \end{aligned} \quad [26]$$

If the adsorption kinetics instead obey:<sup>(34)</sup>

$$d^2C/dx^2 = 1/(\zeta D)[(1 - \epsilon)K/\epsilon + 1]dC/dt \quad [27]$$

$$= (\epsilon \alpha L/wD)[(1 - \epsilon)K/\epsilon + 1](dC/dt) \quad [28]$$

When  $Fl_1 = Fl_2$  and using Eq. (15),

$$dC/C^2 = Ddt/\{\zeta \epsilon^2 L^2[(1 - \epsilon)K/\epsilon + 1]\} \quad [29]$$

On integrating this second order kinetic equation from  $t = 0$  to time  $t$ ,

$$1/C_t = 1/C_o - Dt/\{\zeta \epsilon^2 L^2[(1 - \epsilon)K/\epsilon + 1]\} \quad [30]$$

with a second order rate constant of  $D/\{\zeta \epsilon^2 L^2[(1 - \epsilon)K/\epsilon + 1]\}$ .

For a microporous process that also involves chemisorption, Eq. (30) becomes:

$$1/C_t = 1/C_o - Dt/\{\zeta \epsilon^2 L^2[(1 - \epsilon)KR_r/\epsilon + 1]\} \quad [31]$$

with a second order rate constant of  $D/\{\zeta \epsilon^2 L^2[(1 - \epsilon)KR_r/\epsilon + 1]\}$ .

For microporous physical adsorption at low  $z$  or reduced pressure, the D-R adsorption isotherm predicts the same results as does an irreversible adsorption isotherm when  $K$  is high (physical adsorption and chemisorption), or when  $\alpha < 0.5$ . Chemisorption activated by the collisional energy involved with physical adsorption may permit high  $K$  and low activation energies. This process is the same energetically as activated adsorption involving an extrinsic precursor referred to above.<sup>(32,33)</sup>

Microporosity may explain why the linearization procedures for the four classical isotherms are all observed, and why not all the available reaction sites can be used. However, it is hard to assess how the model performs quantitatively because most of the values for the parameters are unknown. Thus,  $\zeta \in$  in Eq. (15),  $\alpha$  in Eq. (16),  $K$  in Eq. (22), as well as  $R_r$  and  $R_e$  not being constant, or a mixture of all of these may be important. For example, assuming  $R_r$  is constant and  $R_e = 1$ , if  $\zeta \in$  is 0.5,  $\alpha$  is 0.546 for  $w/L = 0.273 \pm 0.012$ , with a minimum CV of

4.4 percent. Then  $k_m$  in Eq. (21) is about  $0.182 \text{ cm}^{-1}$ . Clearly, much work is still required to assess how important microporosity is and why the addition reaction is not the rate limiting step for this chemisorption.

## CONCLUSIONS

No classical adsorption isotherm (Langmuir, BET, Dubinin-Radushkevich, Freundlich) predicted pellet capacity, even though all the data could be linearized appropriately by each isotherm. Dividing the data into linearization regions achieved capacity predictability but empirically only. The published passive sampling region for valeraldehyde extends up to 46 percent of pellet saturation but lies below 18 percent saturation for acrolein. Passive sampling between 18 to 95 percent saturation for acrolein is possible with a different linear equation from that used below 18 percent saturation where a Henry's law type sampling constant is descriptive. A microporosity model, the presence of an extrinsic precursor, and a requirement for two derivatizing molecules per reactive site accounted for most of the qualitative results. Industrial hygienists who depend on sampling constants determined in the laboratory by developers of the passive sampler should not expose their diffusive samplers to conditions that cause near saturation of the sampling element or cause departures from Henry's Law behavior. Diffusive samplers that also work by chemisorption also may require understanding of the chemical processes that are operating to allow interpretation of air sampling results, particularly the influence of reaction efficiencies, chemisorption efficiency relative to physical adsorption, and the applicability of Fick's First Law to the situation in addition to the usual effects of temperature, RH, and intermittent sampling.

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